In memory of Justynke, my wife

FORMULA No.

**W17** 

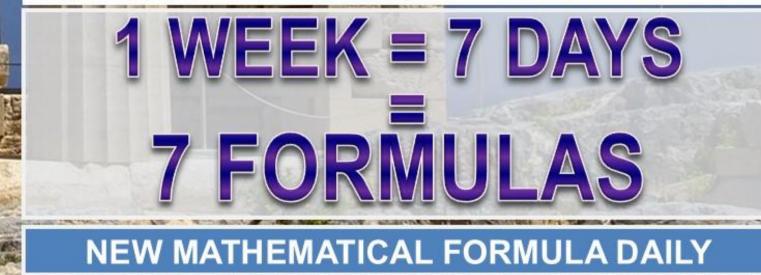
# FORMULAS

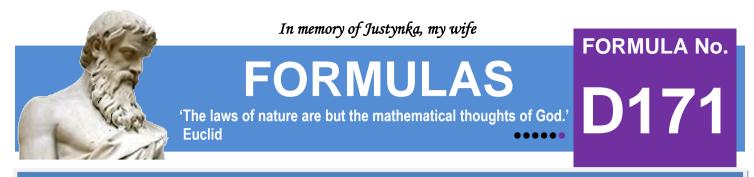
'The laws of nature are but the mathematical thoughts of God.'

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We are not mathematicians, but we love mathematics and create formulas ourselves.

'No other science boosts the faith in the strength of the human spirit like mathematics.' Hugo Steinhaus





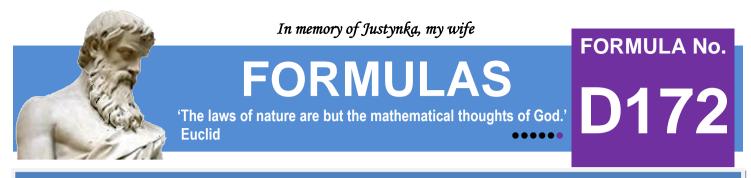
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$$\sum_{k=1}^{k=\infty} \frac{(k+4) \times (p_{k+2}^2 \times p_{k+3} - p_{k+1}^3) + p_{k+2}^2 \times p_{k+3}}{(k+4) \times (k+5) \times p_{k+1}^3 \times p_{k+2}^3 \times p_{k+3}} = \frac{1}{675}$$

*p<sub>k</sub> (k-th prime number)* 

 $k \in N$ 



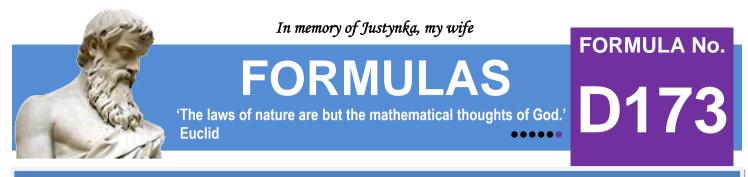
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$$\sum_{k=1}^{k=\infty} \frac{(p_{k+1}-p_k) \times [2 \times p_k \times p_{k+1} + 2 \times (p_k^2 + p_{k+1}^2) + 9 \times (p_k + p_{k+1}) + 7]}{p_k \times (p_k + 1) \times (2 \times p_k + 7) \times p_{k+1} \times (p_{k+1} + 1) \times (2 \times p_{k+1} + 7)} = \frac{1}{66}$$

*p<sub>k</sub> (k-th prime number)* 

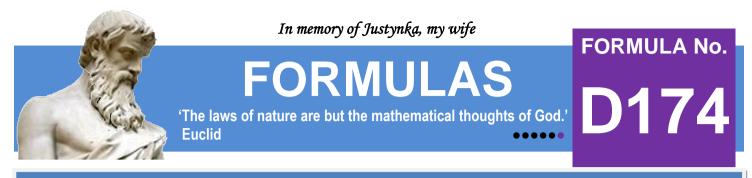


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$$\sum_{k=1}^{k=\infty} \frac{p_k \times p_{k+1} - (k-6) \times p_{k+1} + (k+9) \times p_k + 56}{(k+1) \times (k+2) \times (p_k+8) \times (p_{k+1}+8)} = \frac{9}{20}$$

*p<sub>k</sub> (k-th prime number)* 



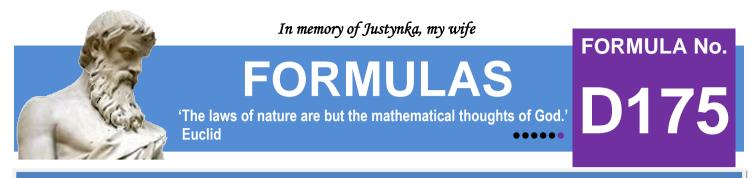
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 $k \in N$ 

$$\sum_{k=1}^{k=\infty} \frac{10 \times p_{k+1} \times p_{k+3} \times (100 \times p_{k+2} - p_k) - p_k \times p_{k+2} \times (100 \times p_{k+3} - p_{k+1})}{p_k \times p_{k+1} \times p_{k+2} \times p_{k+3} \times 10^{k-1}} = 498$$

*p<sub>k</sub> (k-th prime number)* 

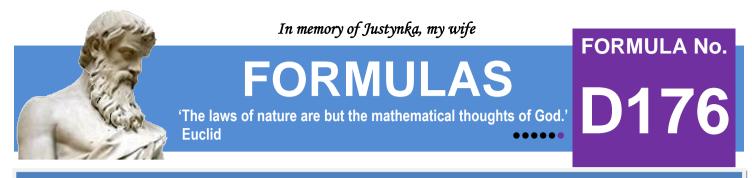


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$$\sum_{k=1}^{k=\infty} \frac{(k+2) \times p_{k+1} - (k+1) \times p_k + 5}{(k+1) \times (k+2) \times (p_k+5) \times (p_{k+1}+5)} = \frac{1}{14}$$

*p<sub>k</sub> (k-th prime number)* 



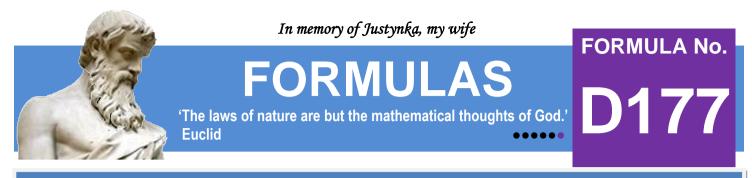
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 $k \in N$ 

$$\sum_{k=1}^{k=\infty} \frac{[(k+4) \times (p_k! - 1) \times p_{k+1}! - 2 \times (p_{k+1}! - p_k!)] \times 2^k}{(k+6)! \times p_k! \times p_{k+1}!} = \frac{1}{720}$$

*p<sub>k</sub> (k-th prime number)* 



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 $k \in N$ 

$$\sum_{k=1}^{k=\infty} \frac{(p_{k+1} - p_k) \times [252 \times p_k \times p_{k+1} - 20 \times (p_k + p_{k+1})]}{p_k^2 \times p_{k+1}^2} = 121$$

*p<sub>k</sub> (k-th prime number)* 

We invite you every week and every day to our website www.and-just-math.com

> Thanks for: Photo nonbirinonko z Pixabay Photo Gordon Johnson z Pixabay Photo lange-adrian z Pixabay